

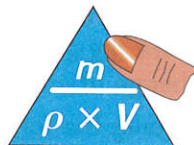
Density

Time for some **maths** I'm afraid. But at least it comes with a fun experiment, so it's not all bad...

Density is Mass per Unit Volume

Density is a measure of the '**compactness**' (for want of a better word) of a substance. It relates the **mass** of a substance to how much **space** it **takes up**.

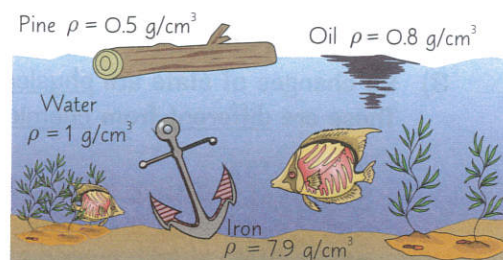
$$\text{Density} = \frac{\text{mass}}{\text{volume}}$$



The units of density are g/cm^3 or kg/m^3 .

- 1) The density of an object depends on what it's made of. Density **doesn't vary** with **size** or **shape**.
- 2) The average **density** of an object determines whether it **floats** or **sinks** — a solid object will **float** on a fluid if it has a **lower average density** than the fluid (p.102).

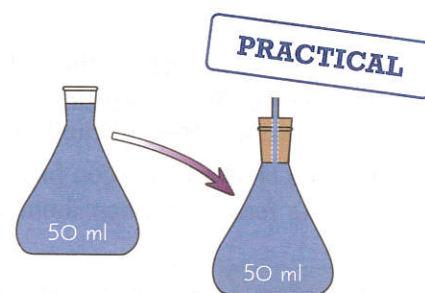
The symbol for density is a Greek letter rho (ρ) — it looks like a p but it isn't.



You Can Find the Density of Solids and Liquids

- 1) To **find** the density of a substance, measure its **mass** and **volume** and use the formula above.
- 2) The easiest way to find the **density** of a **liquid** is to use a **measuring cylinder**.
- 3) Use a **mass balance** (p.104) to measure the **mass** of the **empty** measuring cylinder.
- 4) Pour in the liquid you're investigating. Measure the mass of the cylinder again — the **difference** in mass is equal to the **mass of the liquid**.
- 5) Finding the **volume** of the liquid is easy — just read it from the cylinder's scale. **1 ml = 1 cm³**.
- 6) If you want to measure the volume of a **prism**, find the **area** of its **base** and then **multiply** it by its **height**. For a **cube** this is dead easy — it's just length × width × height.
- 7) If your object **isn't** a regular shape, you can find its volume using the fact that an object **submerged** in water will displace a volume of water **equal** to its **own volume**. One way of doing this is to use a **density bottle**:

- 1) Measure the **mass** (m_1) of the object using a mass balance.
- 2) **Fill** the bottle with a liquid of a **known density** (e.g. water).
- 3) Place the **stopper** into the bottle and **dry** the outside.
- 4) Measure the **mass** of the bottle (m_2).
- 5) **Empty** the bottle and place the **object** into the density bottle. Repeat steps 2 and 3. Measure the **mass** of the bottle (m_3).
- 6) Calculate the volume of displaced water:
 - The **mass** of the **displaced water** = $m_2 - (m_3 - m_1)$
 - You know the **density** of water, so you can use $V = m \div \rho$ to find the volume displaced. This equals the **volume of the object**.
- 7) Calculate the density of the object using $\rho = m \div V$ with the **mass** you measured in **step 1** (m_1) and the **volume** you calculated in **step 6**.



Liquid is pushed up the tube in the stopper, so the volume inside the bottle is constant.

You can also use a eureka can and a measuring cylinder if you don't have access to density bottles.

I'm feeling a bit dense after that lot...

Remember — density is all about how tightly packed the particles in a substance are. Nice and simple really.

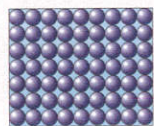
- Q1 An object has a mass of 0.45 kg and a volume of 75 cm^3 . Calculate its density in kg/m^3 . [3 marks]
- Q2 A cube has edges of length 1.5 cm and an average density of 3500 kg/m^3 . What is its mass? [3 marks]

Kinetic Theory and States of Matter

According to kinetic theory, everything's made of tiny little balls. The table, this book, your Gran...

Kinetic Theory is a Way of Explaining Matter

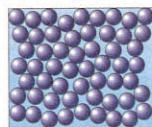
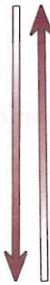
- 1) In kinetic theory, you can think of the particles that make up matter as tiny balls. You can explain the ways that matter behaves in terms of how these tiny balls move, and the forces between them.
- 2) Three states of matter are solid (e.g. ice), liquid (e.g. water) and gas (e.g. water vapour). The particles of a substance in each state are the same — only the arrangement and energy of the particles are different. If you reverse a change of state, the particles go back to how they were before.
- 3) So changes of state are physical changes (only the form of a substance changes). These are different from chemical reactions, where new substances are created by the reaction.



SOLID

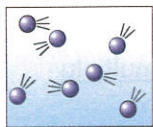
Strong forces of attraction hold the particles close together in a fixed, regular arrangement. The particles don't have much energy in their kinetic energy stores so they can only vibrate about their fixed positions.

sublimating



LIQUID

The forces of attraction between the particles are weaker. The particles are close together, but can move past each other and form irregular arrangements. They have more energy in their kinetic energy stores than the particles in a solid — they move in random directions at low speeds.



GAS

There are almost no forces of attraction between the particles. Particles have more energy in their kinetic energy stores than those in liquids and are free to move — they travel in random directions at high speeds.

When a change of state occurs, the spacing between particles changes, so the internal energy (see next page) of the substance also changes. As the particles get closer together, their internal energy decreases.

- 4) The energy in a substance's thermal energy store is held by its particles in their kinetic energy stores — this is what the thermal energy store actually is.
- 5) When you heat a liquid, the extra energy is transferred into the particles' kinetic energy stores, making them move faster. Eventually, when enough of the particles have enough energy to overcome their attraction to each other, big bubbles of gas form in the liquid — this is boiling.
- 6) It's similar when you heat a solid. The extra energy makes the particles vibrate faster until eventually the forces between them are partly overcome and the particles start to move around — this is melting.

Density of a Substance Varies with State but Mass Doesn't

- 1) Provided you're working with a closed system (i.e. no particles can escape, and no new particles can get in) the mass of a substance isn't affected when it changes state. This makes sense — the mass of a substance is the mass of its particles, and the particles aren't changing, they're just being rearranged.
- 2) However, when a substance changes state its volume does change. The particles in most substances are closer together when they're a solid than a liquid (ice and water are an exception), and are closer together when they're a liquid than a gas (see the diagrams above).
- 3) Since density = mass ÷ volume (p.93), then density must change too. Generally, substances are most dense when they're solids and least dense when they're gases.

Physics — it's really about state of mind...

Remember, the mass of a substance just comes from the particles, not the spaces between them. So as something expands or contracts, its volume changes but its mass stays the same.

Q1 Explain how the density of a typical substance changes as it changes from solid to liquid to gas. [3 marks]

Specific Heat Capacity

The **temperature** of something **isn't quite the same** thing as the **energy** stored in the substance's thermal energy store. That's where specific heat capacity comes in...

Specific Heat Capacity Relates Temperature and Energy

Internal energy is actually the sum of the energy in the kinetic and potential stores of the particles. You can usually ignore energy in potential stores though.

- 1) **Heating** a substance **increases** the **energy** in its **thermal energy store** (or the kinetic energy stores of its particles, see p.24). You may sometimes see this referred to as the **internal energy** of a substance.
- 2) So in kinetic theory, **temperature** is a way of measuring the **average internal energy** of a substance.
- 3) However, it takes **more energy** to **increase the temperature** of some materials than others. E.g. you need **4200 J** to warm 1 kg of **water** by 1 °C, but only **139 J** to warm 1 kg of **mercury** by 1 °C.
- 4) Materials that need to **gain** lots of energy to **warm up** also **release** loads of energy when they **cool down** again. They **store** a lot of energy for a given change in temperature.
- 5) The **change in the energy** stored in a substance when you heat it is related to the change in its **temperature** by its **specific heat capacity**. The **specific heat capacity** of a substance is the **change in energy** in the substance's thermal store needed to raise the temperature of **1 kg** of that substance by **1 °C**. E.g. water has a specific heat capacity of **4200 J/kg°C** (that's pretty high).
- 6) You need to know how to use the **equation** relating energy, mass, specific heat capacity and temperature.

$$\Delta Q = m \times c \times \Delta \theta$$

Change in thermal energy (J) — ΔQ — Temperature change (°C)

Mass (kg) — m — Specific heat capacity (J/kg°C) — c

Δ just means 'change in'.

You can Find the Specific Heat Capacity of Water

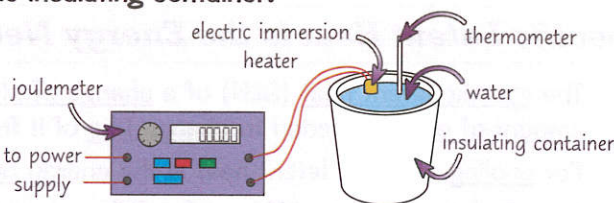
PRACTICAL

You can use the experiment below to find the **specific heat capacity** of **water** — or any **liquid** for that matter. (There's another experiment on page 96 that investigates how water behaves when it **changes state**.)

If you can, you should use a **thermally insulated** container for both of these experiments to reduce **energy wasted to the surroundings** (p.27).

You can use this set up with solid blocks to find the SHC of solids.

- 1) Use a **mass balance** to measure the **mass** of the insulating container.
- 2) Fill the container with **water** and measure the **mass** again. The **difference** in mass is the mass of the **water in the container**.
- 3) Set up the experiment as shown — make sure the joulemeter reads **zero** and place a **lid** on the container if you have one.
- 4) Measure the **temperature** of the water, then turn on the power.
- 5) Keep an eye on the **thermometer**. When the temperature has increased by e.g. **ten degrees**, stop the experiment and record the **energy** on the joulemeter, and the **increase in temperature**.
- 6) You can then calculate the specific heat capacity of the water by **rearranging** the equation above, and plugging in your measurements.
- 7) **Repeat** the whole experiment at least three times, then calculate an **average** of the specific heat capacity (p.7).



You could also use a voltmeter and ammeter instead of a joulemeter, time how long the heater was on for, then calculate the energy supplied (p.77).

I wish I had a high specific fact capacity...

Make sure you practise using that equation — it's a bit of a tricky one.

- Q1 If a metal has a specific heat capacity of 420 J/kg°C, calculate how much the temperature of a 0.20 kg block of the metal will increase by if 1680 J of energy are supplied to it. [2 marks]
- Q2 Describe an experiment you could do to find the specific heat capacity of water. [4 marks]

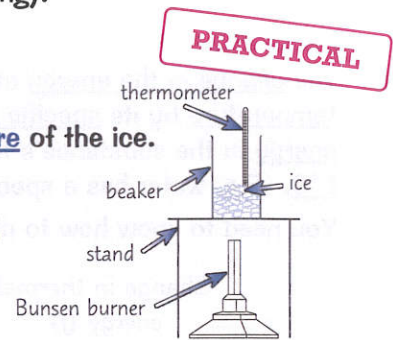
Specific Latent Heat

If you heat up a pan of water on the stove, the water never gets any hotter than 100 °C. You can carry on heating it up, but the temperature won't rise. How come, you say? It's all to do with latent heat...

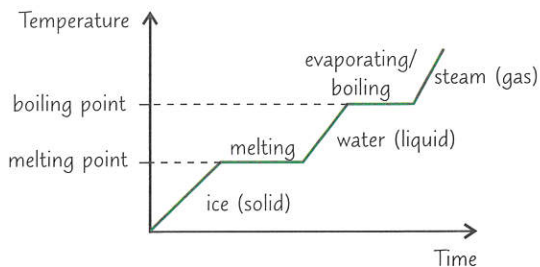
You Need to Put In Energy to Break Intermolecular Bonds

- 1) Remember, when you heat a solid or liquid, you're transferring energy to the kinetic energy stores of the particles in the substance, making the particles vibrate or move faster (p.24).
- 2) When a substance is melting or boiling, you're still putting in energy, but the energy's used for breaking intermolecular bonds rather than raising the temperature.
- 3) When a substance is condensing or freezing, bonds are forming between particles, which releases energy. This means the temperature doesn't go down until all the substance has turned into a liquid (condensing) or a solid (freezing).
- 4) You can see this by doing this simple experiment:

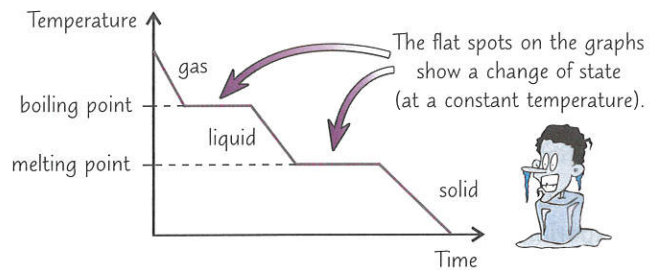
- 1) Fill a beaker with crushed ice.
- 2) Place a thermometer into the beaker and record the temperature of the ice.
- 3) Using the Bunsen burner, gradually heat the beaker full of ice.
- 4) Every twenty seconds, record the temperature and the current state of the ice (e.g. partially melted, completely melted).
- 5) Continue this process until the water begins to boil.
- 6) Plot a graph of temperature against time for your experiment.



Your graph should look like this:



You get a similar one for condensing and freezing:



Specific Latent Heat is the Energy Needed to Change State

- 1) The specific latent heat (SLH) of a change of state of a substance is the amount of energy needed to change 1 kg of it from one state to another without changing its temperature.
- 2) For cooling, specific latent heat is the energy released by a change in state.
- 3) Specific latent heat is different for different materials, and for changing between different states.
- 4) The specific latent heat for changing between a solid and a liquid (melting or freezing) is called the specific latent heat of fusion. The specific latent heat for changing between a liquid and a gas (evaporating, boiling or condensing) is called the specific latent heat of vaporisation.
- 5) You can work out the energy needed (or released) when a substance of mass m changes state using this formula:

$$\text{Thermal Energy (} Q \text{)} = \text{Mass (} m \text{)} \times \text{Specific Latent Heat (} L \text{)}$$

Thermal energy is given in joules (J), mass is in kg and SLH is in J/kg.

$$Q = m \times L$$

Don't get confused with specific heat capacity, which relates to a temperature rise of 1 °C.

Breaking Bonds — Blofeld never quite manages it...

Fun fact: this stuff explains how sweating cools you down — the energy that builds up in your body when you exercise is used to change liquid sweat into gas, rather than increasing your temperature. Nice...

Q1 Sketch a graph showing how the temperature of a sample of water will change over time as it's heated from -5 °C to 105 °C.

[3 marks]

Particle Motion in Gases

Gas particles fly around, bump into things and exert **forces** on them. This is happening to **you** right now — the air around you is exerting **pressure** on you (unless you're somehow reading this in **space**).

Colliding Gas Particles Create Pressure

- 1) According to **kinetic theory**, all matter is made up of very **small**, constantly **moving** particles.
- 2) Particles in a **gas** hardly take up any space. Most of the gas is **empty space**.
- 3) As the **gas particles** move about at high speeds, they **bang into** each other and whatever else happens to get in the way. When they collide with something, they **exert a force** (and so a pressure — p.101) on it.
- 4) In a **sealed container**, the outward **gas pressure** is the **total force** exerted by **all** of the particles in the gas on a **unit area** of the container walls.

A **sealed container** is an example of a **closed system** — no matter can get in or out.

Gas Pressure Varies with Volume and Temperature

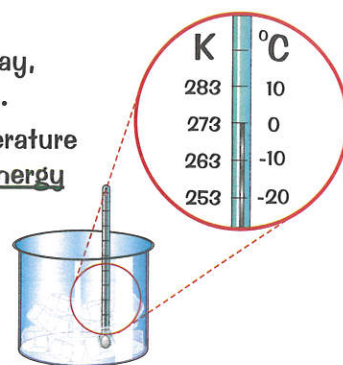
- 1) The **speed** of gas particles depends on the **temperature** of the gas. The **higher** the temperature, the **faster** the particles move and the more often they **collide** with the container. The **force** exerted by each **particle during a collision** also **increases** as the **temperature increases**.
- 2) So **increasing** the **temperature** of a **fixed volume** of gas increases its **pressure**.
- 3) Alternatively, if **temperature is constant**, increasing the **volume** of a gas means the particles get **more spread out** and hit the walls of the container **less often**. The gas **pressure decreases**.
- 4) Pressure and volume are **inversely proportional** — when volume goes **up**, pressure goes **down** (and vice versa). For a gas of **fixed mass** at a **constant temperature**, the relationship is:

$$P_1 V_1 = P_2 V_2$$

where P_1 is the pressure at a volume V_1 and P_2 is the pressure at a volume V_2 . Pressure is in Pa (or N/m²) and volume is in m³.

Absolute Zero is as Cold as Stuff Can Get — 0 kelvin

- 1) If you **increase** the **temperature** of something, you give its particles more **energy** — they move about more **quickly** or **vibrate** more. In the same way, if you **cool** a substance down, you're reducing the **energy** of the particles.
- 2) In theory, the **coldest** that anything can ever get is **-273 °C** — this temperature is known as **absolute zero**. At absolute zero, the particles have as little **energy** in their **kinetic** stores as it's **possible** to get — they're pretty much still.
- 3) Absolute zero is the start of the **Kelvin** scale of temperature.
- 4) A temperature change of **1 °C** is also a change of **1 kelvin**. The two scales are pretty similar — the only difference is where the **zero** occurs.
- 5) To convert from **degrees Celsius to kelvins**, just **add 273**.
And to convert from **kelvins to degrees Celsius**, just **subtract 273**.



	Absolute zero	Freezing point of water	Boiling point of water
Celsius scale	-273 °C	0 °C	100 °C
Kelvin scale	0 K	273 K	373 K

There's no degree symbol when you write a temperature in kelvins. Just write K, not °K. OK.

Gas particles need to watch where they're going...

Remember, the more gas particles there are, and the faster they travel, the higher the pressure. Simple...

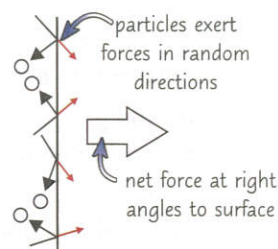
- Q1 Find the value of 25 °C in kelvin. [1 mark]
- Q2 Explain how a gas exerts pressure on its container. [2 marks]
- Q3 3.5 m³ of a gas is at a pressure of 520 Pa. It is compressed to a volume of 1 m³ at a constant temperature. What is the new pressure of the gas? [3 marks]

Pressure, Temperature and Volume

Don't breathe out yet — there's **still more** about pressure that you need to know.

A Change in Pressure Can Cause a Change in Volume

- 1) You know from the previous page that a gas exerts a **force** on its container due to **collisions** between the particles and the walls of the container.
- 2) These collisions happen in **random directions**, but add together to produce a **net (overall) force** at **right angles** to the wall of the container.
- 3) Unless it's in a **vacuum**, the **outside** of a gas container will also be under **pressure** from **whatever's around it** — e.g. **atmospheric pressure** from the air (p.102).
- 4) For containers **without a fixed volume** (e.g. a balloon) the **volume** of the container (and so the volume of the gas inside) is **constant** (it **isn't expanding or contracting**) when the **pressure** of the gas **inside pushing outwards** is **equal to** the **pressure** of the air **outside pushing inwards**.
- 5) You can change the **volume of a gas** in a **container that doesn't have a fixed volume** by changing **either** the **internal (outward)** or **external (inward)** **pressure** on the container:



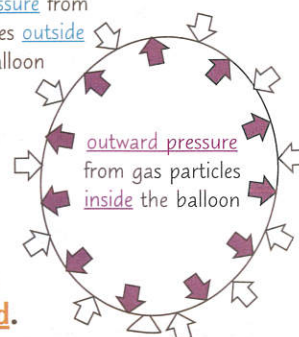
You can change the **pressure** of a gas inside a container (e.g. a balloon) by **heating** or **cooling**.

As the balloon is **heated**, the gas particles **inside it** gain **energy** and move around **quicker**. This **increases the pressure** of the gas inside the balloon.

The **outward** pressure of the gas inside the balloon is now **larger** than the **inward** pressure caused by the **surroundings**. The **balloon** (and so the volume of the gas) **expands** until the pressures are **equal** once more.

Cooling the gas in the balloon has the **opposite** effect — the **outward** pressure is **smaller** than the **inward** pressure, so the gas inside the balloon is **compressed**.

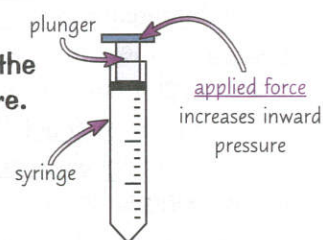
inward pressure from gas particles outside the balloon



You can change the **external pressure** on a gas in a number of ways:

For a gas in an air-tight **syringe**, pushing hard on the **plunger** increases the **inward** pressure on the gas, so that it is larger than the outward pressure. This causes the gas inside of the syringe to be **compressed**.

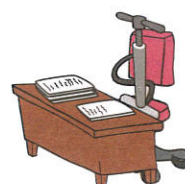
Atmospheric pressure (p.102) decreases as altitude increases, so as a container of gas **rises**, the **inward** pressure **decreases**. This causes the gas to **expand** as the altitude increases.



Doing Work on a Gas Can Increase its Temperature

There's more about doing work on p.66.

- 1) **Doing work** on a gas can increase its **internal energy** (p.95), which increases its **temperature**.
- 2) You can do work on a gas **mechanically**, e.g. with a **bike pump**. (You also do work on a gas when you **heat it** up.)
- 3) The gas **exerts pressure** on the **plunger** of the pump, and so exerts a **force** on it. Work has to be done **against this force** to push down the plunger.
- 4) This transfers energy to the **kinetic energy stores** of the gas particles, so increases the **internal energy** and therefore the **temperature**.
- 5) If the pump is connected to e.g. a tyre, some of this energy is **transferred** from the gas to the **thermal energy store** of the tyre, and you'll feel the tyre getting **warmer** as you pump it up.



Hope the pressure's not getting to you...

Get your head around how changing pressure can cause a change in the volume of a gas (and its container).

Q1 Explain why pumping up a bike tyre increases the tyre's temperature.

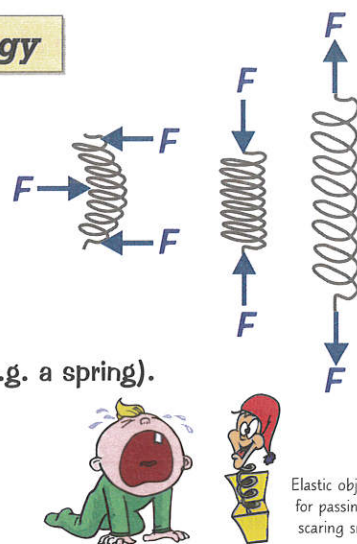
[3 marks]

Forces and Elasticity

And now for something a bit more fun — [squishing](#), [stretching](#) and [bending](#) stuff.

Stretching, Compressing or Bending Transfers Energy

- 1) When you apply a force to an object you may cause it to stretch, compress or bend.
- 2) To do this, you need more than one force acting on the object (otherwise the object would simply move in the direction of the applied force, instead of changing shape).
- 3) An object has been elastically distorted if it can go back to its original shape and length after the force has been removed.
- 4) Objects that can be elastically distorted are called elastic objects (e.g. a spring).
- 5) An object has been inelastically distorted if it doesn't return to its original shape and length after the force has been removed.
- 6) The elastic limit is the point where an object stops distorting elastically and begins to distort inelastically.
- 7) Work is done when a force stretches or compresses an object and causes energy to be transferred to the elastic potential energy store of the object. If it is elastically distorted, ALL this energy is transferred to the object's elastic potential energy store (see p.100).



Elastic objects — useful for passing exams and scaring small children

Extension is Directly Proportional to Force...

If a spring is supported at the top and then a weight is attached to the bottom, it stretches.

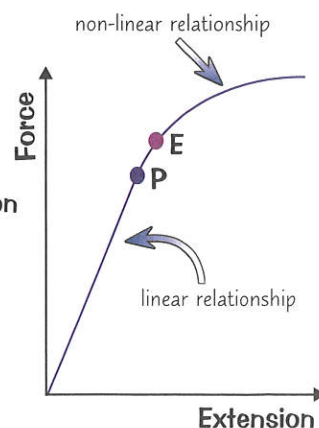
- 1) The extension of a stretched spring (or other elastic object) is directly proportional to the load or force applied — so $F \propto x$.
- 2) This means that there is a linear relationship between force and extension. (If you plotted a force-extension graph for the spring, it would be a straight line.)
- 3) This is the equation: $F = k \times x$ where F is the applied force in N, k is the spring constant in N/m and x is the extension in m.
- 4) The spring constant depends on the material that you are stretching — a stiffer spring has a greater spring constant.
- 5) The equation also works for compression (where x is just the difference between the natural and compressed lengths — the compression).

For a linear relationship, the gradient of an object's force-extension graph is equal to its spring constant.

...but this Stops Working when the Force is Great Enough

There's a limit to the amount of force you can apply to an object for the extension to keep on increasing proportionally.

- 1) The graph shows force against extension for an elastic object.
- 2) There is a maximum force above which the graph curves, showing that extension is no longer proportional to force. The relationship is now non-linear — the object stretches more for each unit increase in force. This point is known as the limit of proportionality and is shown on the graph at the point marked P.
- 3) The elastic limit (see above) is marked as E. Past this point, the object is permanently stretched.



I could make a joke, but I don't want to stretch myself...

That equation is pretty simple, but that doesn't mean you can skip over it. Have a go at the question below.

- Q1 A spring is fixed at one end and a force of 1 N is applied to the other end, causing it to stretch. The spring extends by 2 cm. Calculate the spring constant of the spring.

[2 marks]

Investigating Elasticity

You can do an easy **experiment** to see exactly how adding **masses** to a spring causes it to **stretch**.

You Can Investigate the Link Between Force and Extension

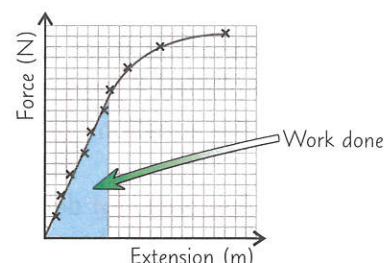
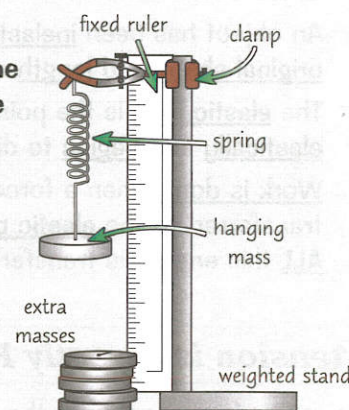
PRACTICAL

Set up the apparatus as shown in the diagram. Make sure you have plenty of extra masses, then measure the **mass** of each (with a mass balance) and calculate its **weight** (the **force** applied) using $W = mg$ (p.17).

You could do a quick **pilot experiment** first to find out what size masses to use.

- Using an **identical spring** to the one you will be testing, **load** it with **masses** one at a time and record the **force** (weight) and **extension** each time.
- Plot a **force-extension** graph and check that you get a nice **straight line** for at least the **first 6 points**. If it curves **too early**, you need to use **smaller masses**.

- 1) Measure the **natural length** of the spring (when **no load** is applied) with a **millimetre ruler** clamped to the stand. Make sure you take the reading at eye level and add **markers** (e.g. thin strips of tape) to the **top** and **bottom** of the spring to make the reading more accurate.
- 2) Add a mass to the spring and allow the spring to come to **rest**. Record the mass and measure the new **length** of the spring. The **extension** is the change in length.
- 3) **Repeat** this process until you have enough measurements (no fewer than 6).
- 4) **Plot** a **force-extension graph** of your results. It will only start to **curve** if you **exceed** the **limit of proportionality**, but don't worry if yours doesn't (as long as you've got the straight line bit).



You should find that a **larger force** causes a **bigger extension**.

You can also think of this as **more work** needing to be done to cause a larger extension. The **force** doing work is the **gravitational force** and for **elastic** distortions, this force is **equal** to $F = kx$.

You can find the **work done** for a particular forces (or energy stored — see below) by calculating the **area** under the **linear** section of your **force-extension** graph **up to** that value of force.

You Can Calculate Work Done for Linear Relationships

- 1) Look at the graph on the previous page. The **elastic limit** is always **at** or **beyond** the **limit of proportionality**. This means that for a **linear relationship**, the distortion is always **elastic** — all the energy being transferred is stored in the spring's **elastic potential energy store**.
- 2) So, as long as a spring is not stretched **past** its **limit of proportionality**, **work done** to the spring is **equal** to the **energy** stored in its elastic potential energy store.
- 3) For a linear relationship, the **energy** in the **elastic potential energy store** (and so the **work done**) can be found using:

$$E = \frac{1}{2} \times k \times x^2$$

Energy transferred in stretching (J) Spring constant (N/m) Extension² (m²)

Time to spring into action and learn all this...

Remember that you can only use the gradient to find the spring constant if the graph is linear (a straight line).

- Q1 A spring with a spring constant of 40 N/m extends elastically by 2.5 cm.
Calculate the amount of energy stored in its elastic potential energy store.

[2 marks]

Fluid Pressure

Hopefully reading this page will make you feel a little less pressured about your physics exam.

Pressure is the Force per Unit Area

- 1) **Pressure** is the force per unit area.

The following equation can be used for solids, liquids and gases:

$$P = \frac{F}{A}$$

Pressure in pascals (Pa) ———— P ———— Force normal to a surface (N)
 ———— F ———— Area of that surface (m²)
 ———— A ————

The soles of high-heeled shoes have a small area, so they exert a large pressure on the ground, which can damage some types of flooring. The soles of snowshoes have very large areas, which 'spread out' your weight (the force) and stop you sinking into snow as you walk.

- 2) Gases and liquids are both fluids (their particles are free to move, or 'flow').
- 3) Fluid pressure is the pressure caused by the collisions of gas or liquid particles on a given surface.
- 4) Fluid pressure always exerts a force at right angles (normal) to any surface in contact with the fluid (p.98). As the area of this surface increases, the pressure exerted decreases.
- 5) The pressure exerted by a fluid depends on the area the force is being exerted on, the properties of the fluid and the surrounding atmospheric pressure (see next page).

Fluid Pressure Depends on Depth and Density

- 1) Density can be thought of as a measure of the 'compactness' of a substance, i.e. how close together the particles in a substance are. For a given liquid, the density is uniform (the same everywhere) and it doesn't vary with shape or size. The density of a gas can vary though.
- 2) Assuming their particles have the same mass, a denser fluid has more particles in a certain space than a less dense one. This means there are more particles that are able to collide so the pressure is higher at a given depth in the denser fluid.
- 3) As the depth of a fluid increases, the number of particles above that point increases. The weight of these particles adds to the pressure felt at that point, so fluid pressure increases with depth.
- 4) You can calculate the pressure due to the column of liquid above a certain depth using:

$$P = h \times \rho \times g$$

Pressure due to a column of liquid (Pa) ———— P ———— Height of the column (the depth) in m
 ———— h ———— Gravitational field strength (N/kg)
 ———— g ———— Density of the liquid (kg/m³) (the symbol is the Greek letter 'rho')



EXAMPLE:

Calculate the change in pressure between a point 20 m below the surface of water and a point 40 m below the surface. The density of water is 1000 kg/m³. The gravitational field strength of the Earth is 10 N/kg.

- 1) Calculate the pressure caused by the water at a depth of 20 m.
- 2) Do the same for a depth of 40 m.
- 3) Take away the pressure at 20 m from the pressure at 40 m.

$$P = h\rho g = 20 \times 1000 \times 10 = 200\,000 \text{ Pa}$$

$$P = h\rho g = 40 \times 1000 \times 10 = 400\,000 \text{ Pa}$$

$$400\,000 - 200\,000 = 200\,000 \text{ Pa (200 kPa)}$$

Check your answer makes sense (you can't get negative pressure).

So a gas is a fluid — next they'll be telling me custard is a solid...

Have another read through and make sure you can explain how pressure changes with depth.

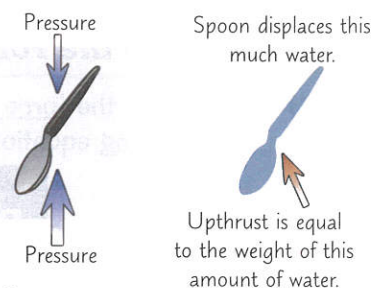
- Q1 Calculate the force exerted on a 10 m² area by a pressure of 200 kPa. [2 marks]
- Q2 At a point 5 cm below the surface of a jug of olive oil, the pressure is 450 Pa. Calculate the density of olive oil. The gravitational field strength of Earth is 10 N/kg. [2 marks]

Upthrust and Atmospheric Pressure

Fluid pressure can explain why potatoes **sink** and apples **float**. Because you've been dying to know...

Objects in Fluids Experience Upthrust

- 1) When an object is submerged **in** a fluid (either partially or completely), the **pressure** of the fluid exerts a **force** on it from **every direction**.
- 2) Pressure **increases with depth**, so the force exerted on the **bottom** of the object is **larger than** the force acting on the **top** of the object.
- 3) This causes a **resultant force** (p.67) upwards, known as **upthrust**.
- 4) The upthrust is **equal** to the **weight** of fluid that has been **displaced** by the object (e.g. the upthrust on an old boot in water is equal to the **weight** of a **boot-shaped volume** of water).

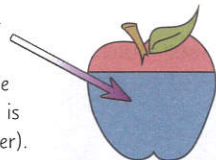


An Object Floats if its Weight = Upthrust

- 1) If the **upthrust** on an object is **equal to** the object's **weight**, then the forces **balance** and the object **floats**.
- 2) If an object's **weight** is **more than** the **upthrust**, the object **sinks**.
- 3) This means that whether or not an object will float depends on its **density**.
- 4) An object that is **less dense** than the fluid it is placed in **displaces** (pushes out of the way) a **volume** of fluid that is **equal to its weight** before it is **completely submerged**.
- 5) At this point, the object's weight is **equal** to the upthrust, so the object **floats**.
- 6) An object that is **denser** than the fluid it is placed in is **unable** to displace enough fluid to equal its weight. This means that its weight is always **larger** than the upthrust, so it **sinks**.

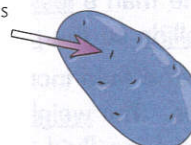


This much water weighs the **same** as the whole apple (because the apple is **less dense** than water).



The apple has displaced a volume of water **equal** to its weight so it floats.

This much water weighs **less** than a potato (because the potato is **denser** than water).

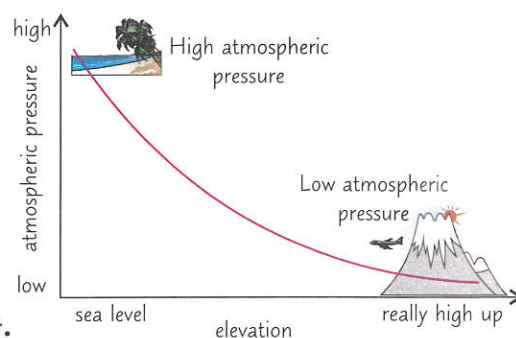


The potato can **never** displace a volume of water equal to its weight so it sinks.

Submarines make use of **upthrust**. To **sink**, large tanks are **filled with water** to increase the **weight** of the submarine so that it is **more than** the upthrust. To rise to the surface, the tanks are filled with **compressed air** to reduce the weight so that it's **less than** the upthrust.

Atmospheric Pressure Decreases with Height

- 1) The **atmosphere** is a **layer** of **air** that surrounds Earth. It is **thin compared** to the size of the **Earth**.
- 2) **Atmospheric pressure** is created on a surface by **air molecules** colliding with the surface.
- 3) As the **altitude** (**height** above Earth) **increases**, atmospheric pressure **decreases** — as shown on the graph. The graph is **curved** because atmospheric pressure is affected by the **density** of the atmosphere, which also **varies with height**.
- 4) As the altitude increases, the atmosphere gets **less dense**, so there are **fewer air molecules** that are able to collide with the surface.
- 5) There are also **fewer** air molecules **above** a surface as the height increases. This means that the **weight** of the air **above** it, which contributes to atmospheric pressure, **decreases** with altitude.



Next time you're feeling pressured, go on a hike...

Atmospheric pressure and liquid pressure are similar — but the density of the atmosphere changes (unlike liquids).

Q1 Explain why a wooden object ($\rho = 700 \text{ kg/m}^3$) floats in water ($\rho = 1000 \text{ kg/m}^3$).

[3 marks]

Revision Questions for Section 7

And you've reached the end of [Section 7](#), woohoo — time to give your old grey matter a work out.

- Try these questions and [tick off each one](#) when you [get it right](#).
- When you've done [all the questions](#) for a topic and are [completely happy](#) with it, tick off the topic.

Density and the Kinetic Theory of Matter (p.93-96)

- 1) What is the formula for density? What are the units of density?
- 2) Briefly describe an experiment to find the density of a liquid.
- 3) For each state of matter, describe the arrangement of the particles.
- 4) Is a change of state a physical change or a chemical change?
- 5) Name five changes of state.
- 6) True or false? Mass stays the same when a substance changes state.
- 7) Define specific heat capacity.
- 8) Define specific latent heat. Give a formula for specific latent heat.

Gas Pressure (p.97-98)

- 9) Define gas pressure for a sealed container.
- 10) What happens to the pressure of a gas in a sealed container of fixed volume when it is heated? Explain why this happens.
- 11) What is the relationship between pressure and volume at a constant temperature?
- 12) What is absolute zero? What value does it have in kelvin?
- 13) Describe how a change in external pressure can lead to a change in the volume of a gas in a sealed container.
- 14) True or false? Doing work on a gas can cause an increase in its temperature.

Stretching, Compressing and Bending (p.99-100)

- 15) Explain why you need more than one force acting on an object to cause it to stretch.
- 16) What is the difference between an elastic and an inelastic distortion?
- 17) Give the equation that relates force, extension and the spring constant of an object.
- 18) How do you find the spring constant from a linear force-extension graph?
- 19) What is the limit of proportionality?
- 20) Draw a typical force-extension graph for an elastic object being stretched past its elastic limit.
- 21) Give the equation used to find the energy transferred in stretching an object.

Pressure and Upthrust (p.101-102)

- 22) Define pressure and state the equation linking pressure, force and area.
- 23) True or false? Gases are fluids.
- 24) Explain how the pressure in a liquid varies with the density of the liquid.
- 25) True or false? Pressure in a liquid decreases with depth.
- 26) Give the equation for calculating the pressure due to a column of liquid.
- 27) Explain the cause of upthrust.
- 28) In what conditions will an object float?
- 29) What is atmospheric pressure?
- 30) True or false? Atmospheric pressure decreases as altitude increases.